# General Mathematics and CPS II 

Exercise 8

February 29, 2012

1. Let $G$ be a finite group (i.e., a group with a finite number of elements), and let $a \in G$. Show that there exists some $n \in \mathbb{N}$ such that $a^{n}=e$.
Recall: $a^{n}$ is understood as letting the group operation act between $n$ copies of $a$.
2. (Ivanov, p. 39.) Prove that the symmetry group of an equilateral triangle is isomorphic to the abstract group with two generators $a$ and $b$ of order 2 satisfying the additional relation $a b a=b a b$.

Recall: A group element $g$ is of order $n$ if $n$ is the smallest natural number such that $g^{n}=e$.

